Improved Deep-Learning Side-Channel Attacks using Normalization Layers

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- Good performance of neural networks in side-channel analysis
- Improvement possible using batch normalization and regularization
- No deep learning metric usable to evaluate networks for SCA
- Proposition of a **metric** to tell how well a given architecture could perform

2 $\Delta_{train,val}$: an SCA metric to evaluate performances

3 Regularization



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$\Delta_{train,val}$: an SCA metric to evaluate performances

3 Regularization

4 Conclusion

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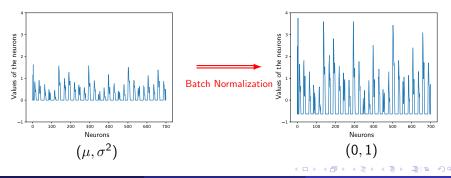
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Goal

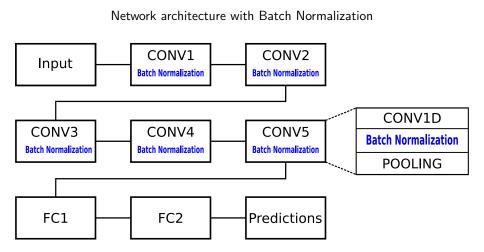
Standardize the data representation across all layers

Consequence

The network focuses on the relative differences of the values rather than on the numerical values



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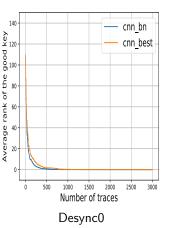


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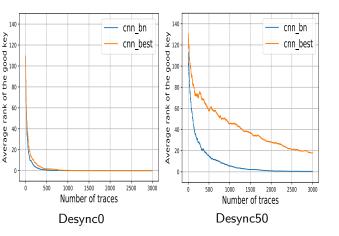
Training on ASCAD desynchronized traces

• DesyncN: random shift between 0 and N applied to the 700 points of the traces



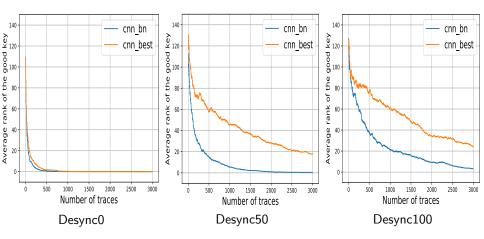
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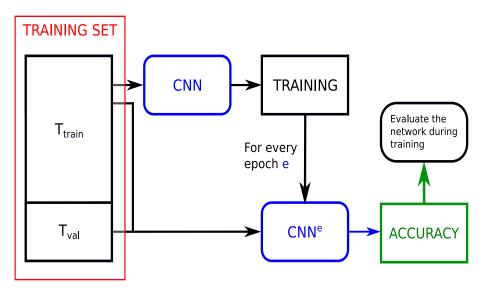


Training on ASCAD desynchronized traces

 DesyncN: random shift between 0 and N applied to the 700 points of the traces



Evaluate the performance of a network



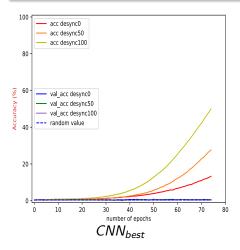
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Training Acc. vs. Validation Acc.

Goal

Evaluate the networks during training



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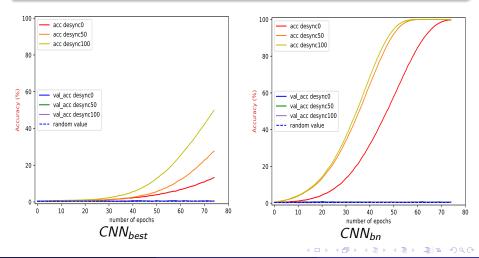
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Training Acc. vs. Validation Acc.

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Evaluate the networks during training



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2 $\Delta_{train,val}$: an SCA metric to evaluate performances

3 Regularization

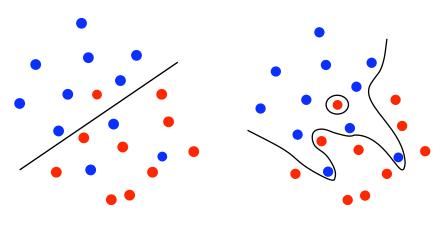


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The overfitting phenomena



Good estimation

Overfitting

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$\Delta_{train,val}$: evaluation of the generalization capacity

Goal

Have a clear indication if the network is overfitting/underfitting and if the performance of the network can be improved

Notations

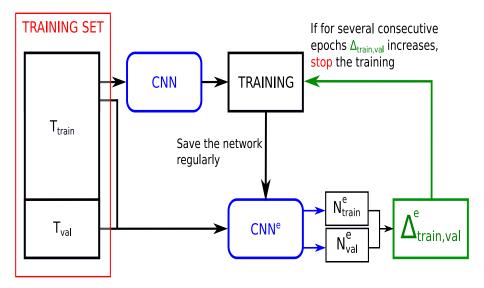
- $T_{train} =$ Set of traces the network used to train
- T_{val} = Set of traces the network has never seen
- $N_{train}(model) := min\{n_{train} \mid \forall n \ge n_{train}, SR^1_{train}(model(n)) = 90\%\}$
- $N_{val}(model) := min\{n_{val} \mid \forall n \ge n_{val}, SR^1_{val}(model(n)) = 90\%\}$

Metric

$$\Delta_{\textit{train},\textit{val}}(\textit{model}) = \mid \textit{N}_{\textit{val}}(\textit{model}) - \textit{N}_{\textit{train}}(\textit{model}) \mid$$

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How to use the metric



Representation of $\Delta_{train.att}$ for CNN_{bn}

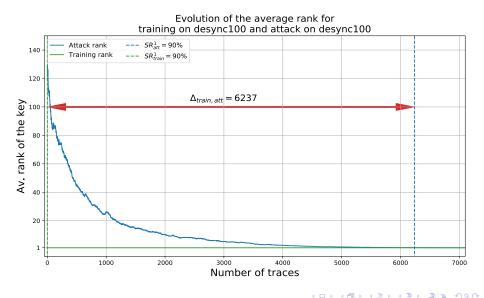


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Goal

Reduce $\Delta_{train,att}$ even further using regularization

Means

- Dropout with parameter λ_{D}
- L_2 -Norm regularization with parameter λ_{L_2}

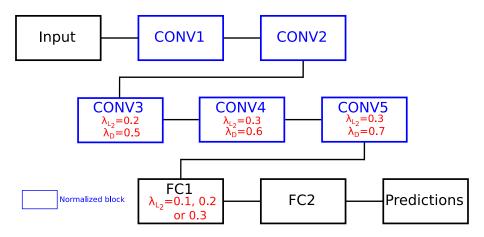
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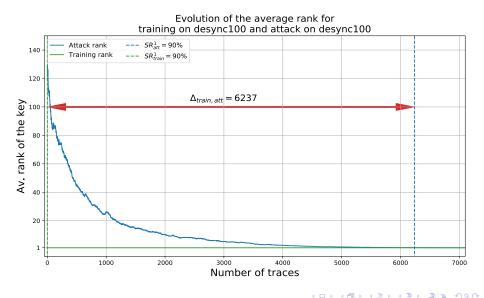
	Test (<i>ste</i>	p = 0.1)	Choice for desync100		
	λ_{D}	λ_{L_2}	λ_{D}	λ_{L_2}	
CONV1&2	[0,, 0.3]	[0,, 0.3]	0	0	
CONV3	[0,, 0.8]	[0,, 0.3]	0.5	0.2	
CONV4	[0,, 0.8]	[0,, 0.3]	0.6	0.3	
CONV5	[0,, 0.8]	[0,, 0.3]	0.7	0.3	
FC1	[0,, 0.8]	[0,, 0.3]	0	0.3	
FC2	[0,,0.3]	[0,, 0.3]	0	0	



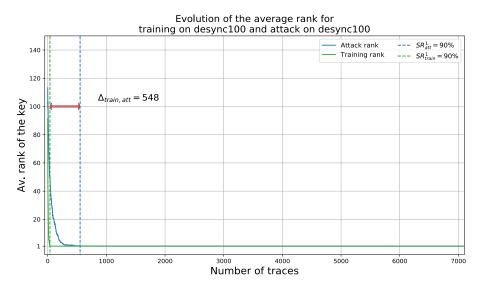
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Results without regularization: CNN_{bn}



Results with regularization: CNN_{bn+reg}



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Results with regularization: CNN_{bn+reg}

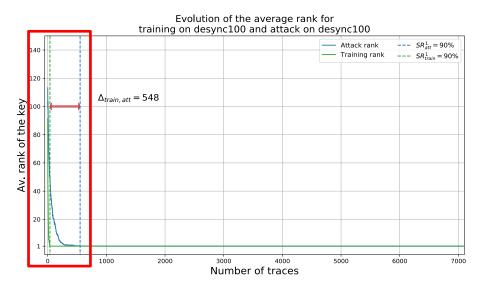


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Attack on desync100 using $\lambda_{L_2} = 0.1$ for CNN_{bn+reg}

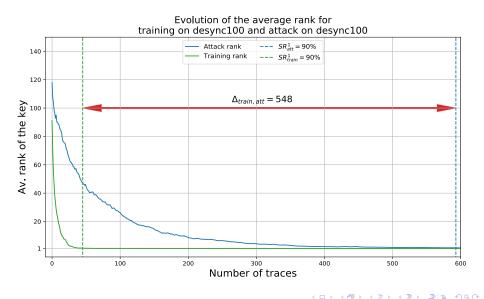
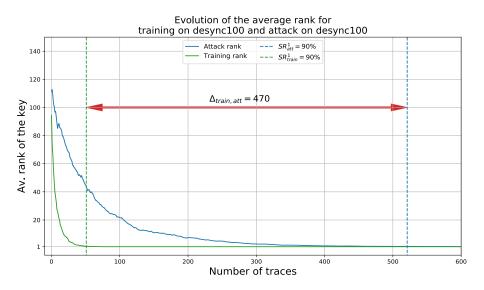


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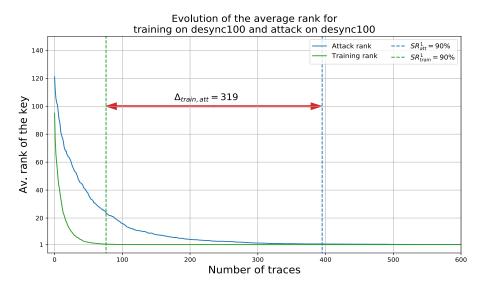
Attack on desync100 using $\lambda_{L_2} = 0.2$ for CNN_{bn+reg}



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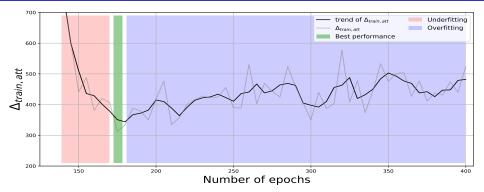
Attack on desync100 using $\lambda_{L_2} = 0.3$ for CNN_{bn+reg}



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Evolution of $\Delta_{train,att}$ for different numbers of epochs



Best results on other desynchronizations

	N _{train}	N _{att}	$\Delta_{train,att}$	FC1: λ_{L_2}	Nb epochs
Desync0	104	272	168	0.1	125
Desync50	21	279	258	0.1	200
Desync100	76	395	319	0.3	175

$\Delta_{train,val}$: an SCA metric to evaluate performances

3 Regularization



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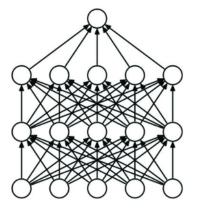
- New metric to evaluate the possible improvement of an architecture
- Normalization and regularization improve CNN performance in SCA
- Given the amount of regularization needed to obtain those results, **a better architecture probably exists**
- Apply this technique to other networks

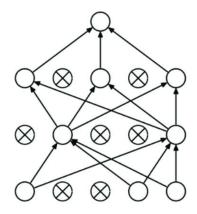
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Thank you for listening. Do you have questions ?



Dropout example





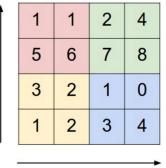
(a) Standard Neural Network

(b) Neural Net with Dropout

Ref.: Roffo, Giorgio. (2017). Ranking to Learn and Learning to Rank: On the Role of Ranking in Pattern Recognition Applications.

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Single depth slice



max pool with 2x2 filters and stride 2

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Ref.: Max pooling in CNN. Source: http://cs231n.github.io/convolutional-networks/

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